

# Experiments in the use of $\tau$ -simulations for the components-verification of real-time systems

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- SAVCBS'06 -

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of Component-Based Systems  
Portland, Oregon, USA

# Context

- Real-time systems modeled in a **compositional** framework using **timed automata** [Alur and Dill 90]
- (Timed) Properties expressed in **MITL** (Metric Interval Temporal Logic) [Alur, Feder and Henzinger 96]
  
- A verification method: **Model-Checking**

# Model-checking

- Algorithmic verification method

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## Advantages

- Exhaustive
- Automatic

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## Drawbacks

- State-space explosion: difficulties to handle large-sized models
- Accentuated for Timed Systems

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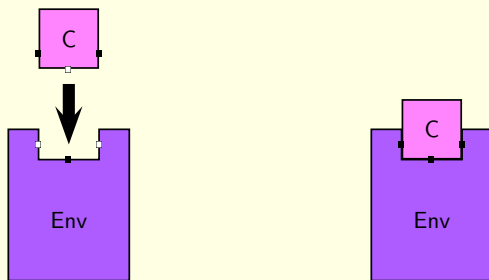
- State-space explosion: difficulties to handle large-sized models
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→ A way out: using incremental development methods

# Incremental Development for Component-Based Systems

Integration of Components / Local properties of the components

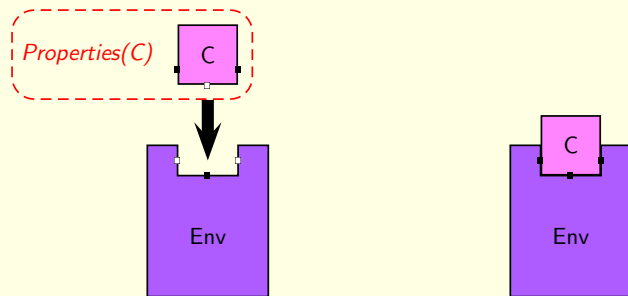
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1. Consider a system with a component  $C$  and the rest of the components  $Env$ ,
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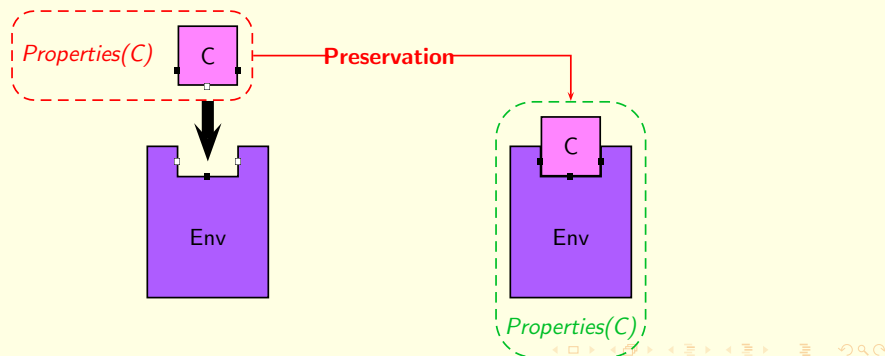




# Incremental Development for Component-Based Systems

Integration of Components / Local properties of the components

1. Consider a system with a component  $C$  and the rest of the components  $Env$ ,
2. Check local properties of  $C$  on  $C$ ,
3. Check that local properties of  $C$  are preserved when it is integrated in  $Env$ .





- How to ensure preservation ?
  - ▶ with **timed  $\tau$ -simulations**
  
- Is incremental verification more efficient than classic verification ?

- How to ensure preservation ?
  - ▶ with **timed  $\tau$ -simulations**
  
- Is incremental verification more efficient than classic verification ?
  - ▶ Need of **experiments**

## 1. Background on Timed systems

- ▶ Modeling Timed systems with Timed Automata
- ▶ Classic Composition Operator for Timed Automata
- ▶ Specifying Timed Properties with MITL

## 2. Relations between components

- ▶ Timed  $\tau$ -Simulation
- ▶ Divergence-sensitive and stability-respecting Timed  $\tau$ -Simulation

## 3. Experiments

- ▶ The Tool VeSTA
- ▶ Production Cell
- ▶ CSMA/CD Protocol

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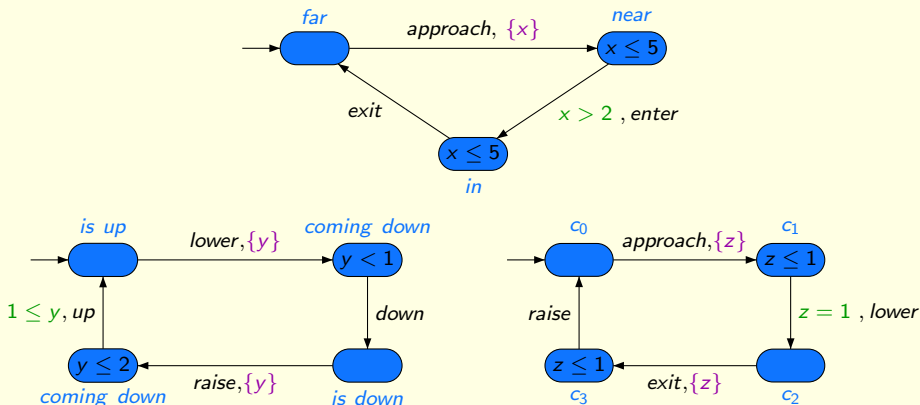
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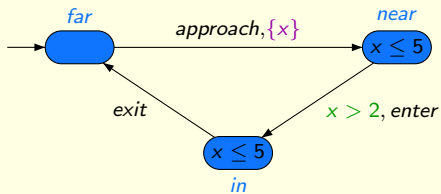
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# Timed Automata

- Finite automata with real-valued variables called clocks.
- An example: the Railroad crossing:

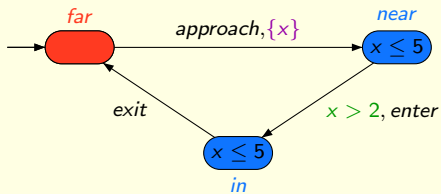


## Runs of a Timed Automaton



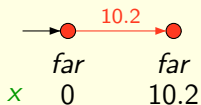
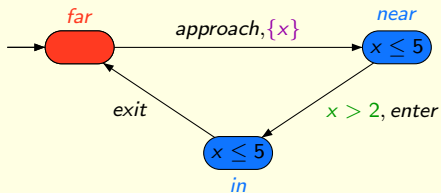


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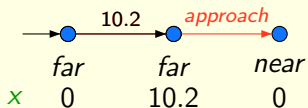
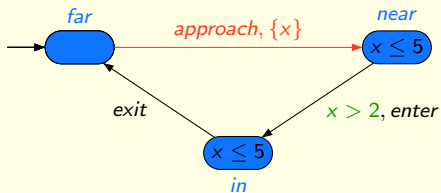


→ ●  
*far*  
*x* 0

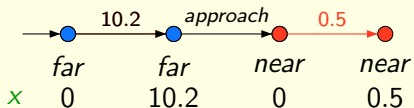
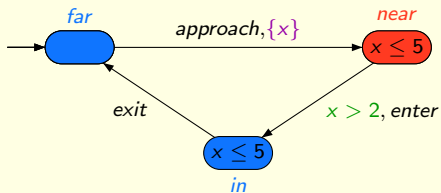
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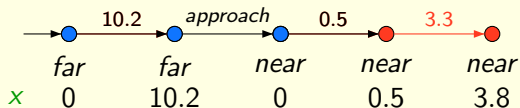
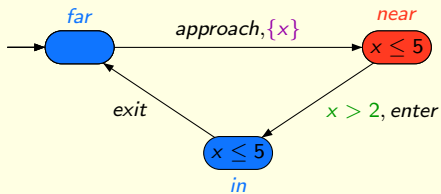
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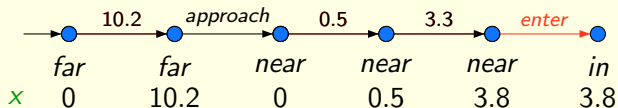
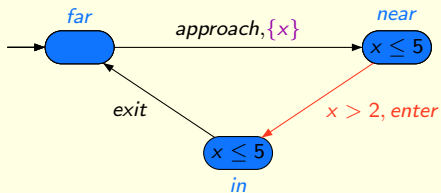
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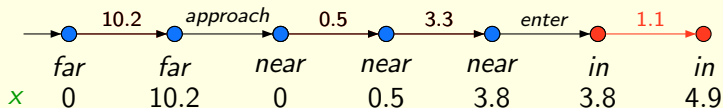
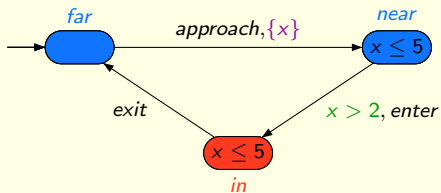
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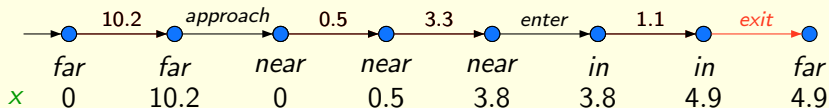
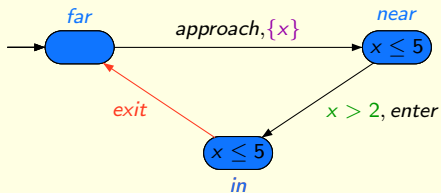
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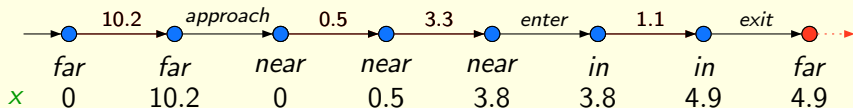
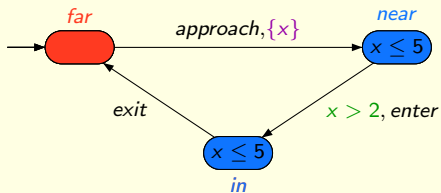


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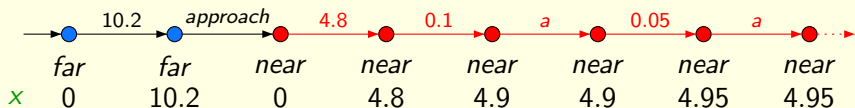
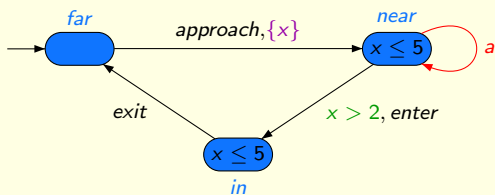




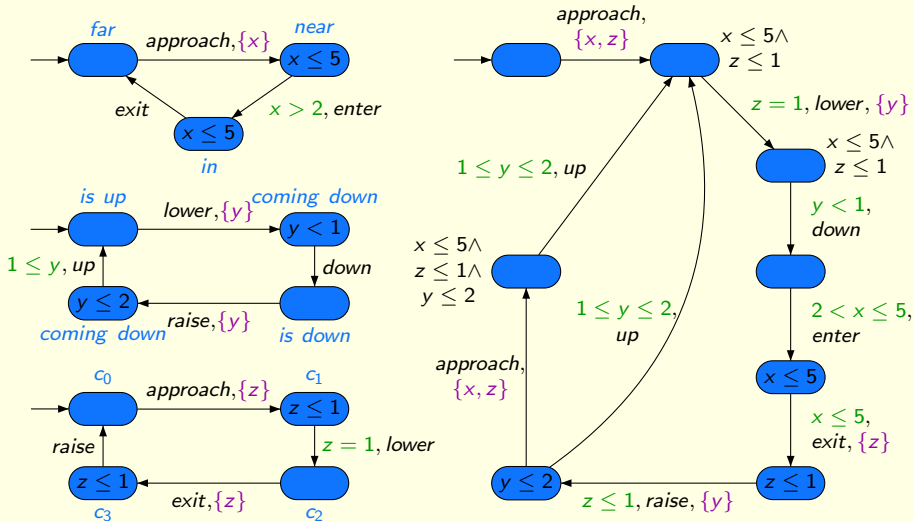
## Runs of a Timed Automaton



Zeno Runs should be ignored since they are not realistic

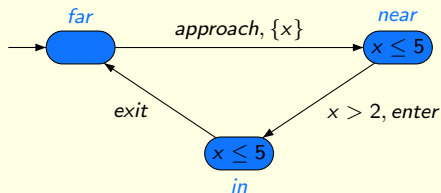


- Synchronization: actions with same label
- Other actions interleave



# The Logic MITL

- Metric Interval Temporal Logic,
- Temporal operators (possibly) constrained by a time delay



## Examples: local properties of the train

- The train is not on the railroad crossing within the two t.u. following the emission of the signal “approach”:  $\Box(\text{near} \Rightarrow \Box_{<2} \neg \text{in}) \rightarrow \text{Safety}$ ,
- When the train approaches, it will eventually exit the railroad crossing:  $\Box(\text{near} \Rightarrow \Diamond \text{far}) \rightarrow \text{Liveness}$

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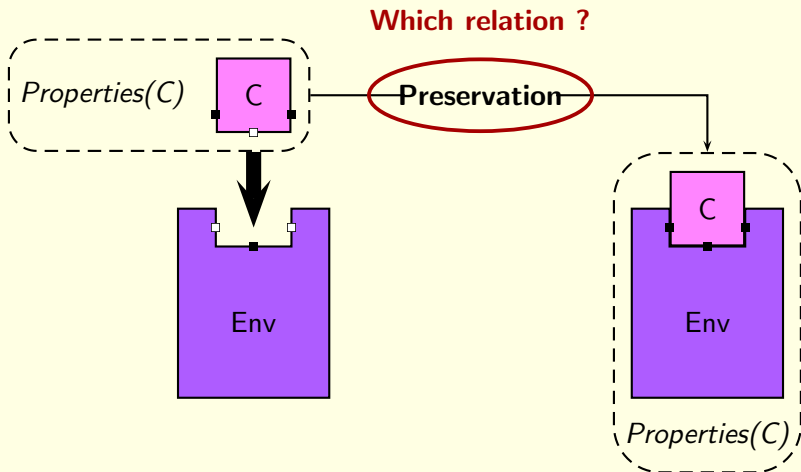
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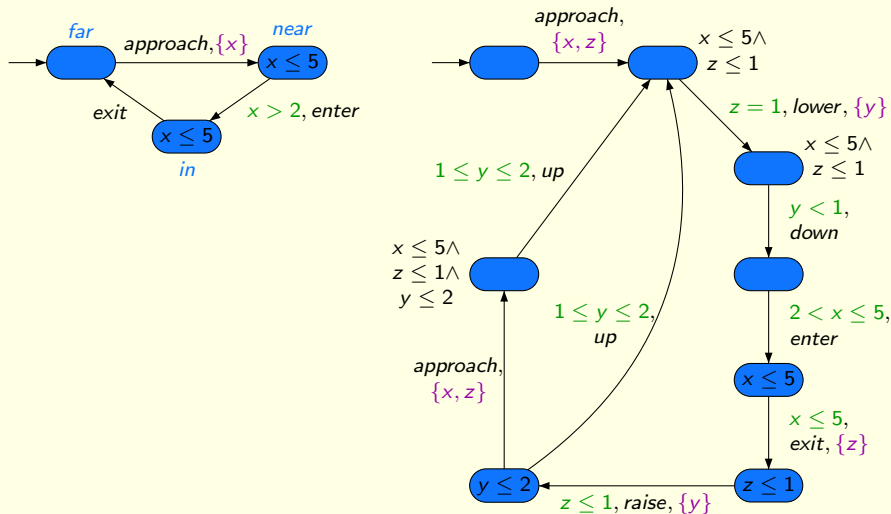
## 3. Experiments

- ▶ The Tool VeSTA
- ▶ Production Cell
- ▶ CSMA/CD Protocol

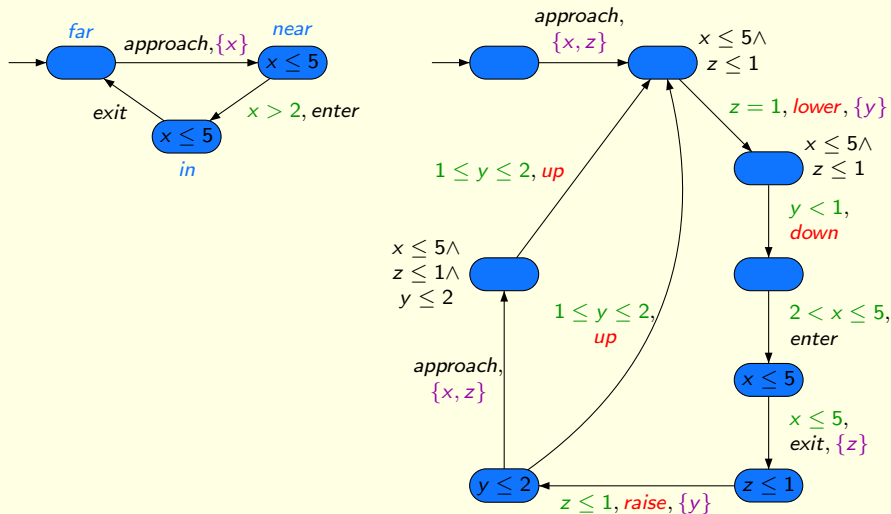
Which relation between  $C||E$  and  $C$  preserving the local properties of  $C$  on  $C||E$  ?



- The relation between  $C$  and  $C||E$  is a **timed  $\tau$ -simulation**, written  $C||E \preceq C$ , i.e., a simulation modulo the actions of  $E$  ( $\tau$ -actions)

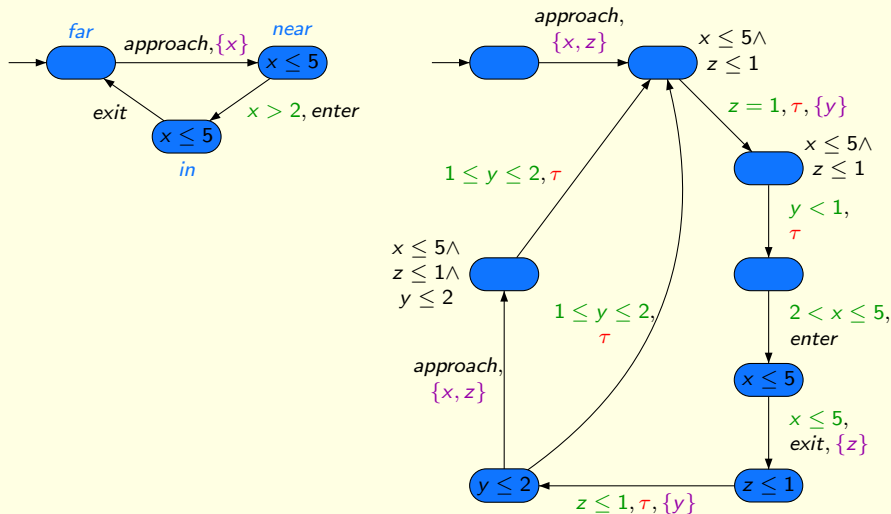


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## Theorem (Preservation of safety properties)

Let  $\varphi$  be a safety property.  $C$  and  $E$  are timed automata.

If  $C \models \varphi$  and  $C \parallel E \preceq C$  then  $C \parallel E \models \varphi$

## Nice properties w.r.t. $\parallel$

- *Composability*

$$C \parallel E \preceq C$$

- *Compatibility*

$$C \preceq C' \Rightarrow C \parallel E \preceq C' \parallel E$$

- *Compositionality*

$$C \preceq C' \text{ and } D \preceq D' \Rightarrow C \parallel D \preceq C' \parallel D'$$

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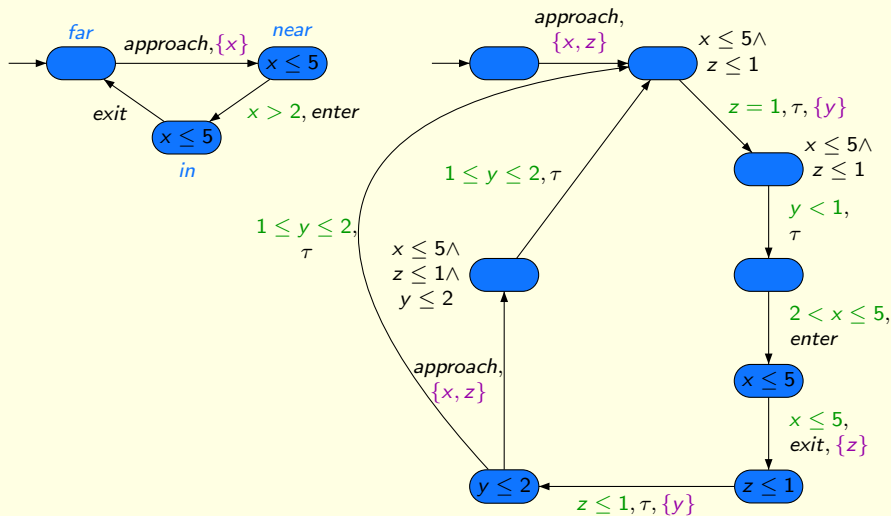
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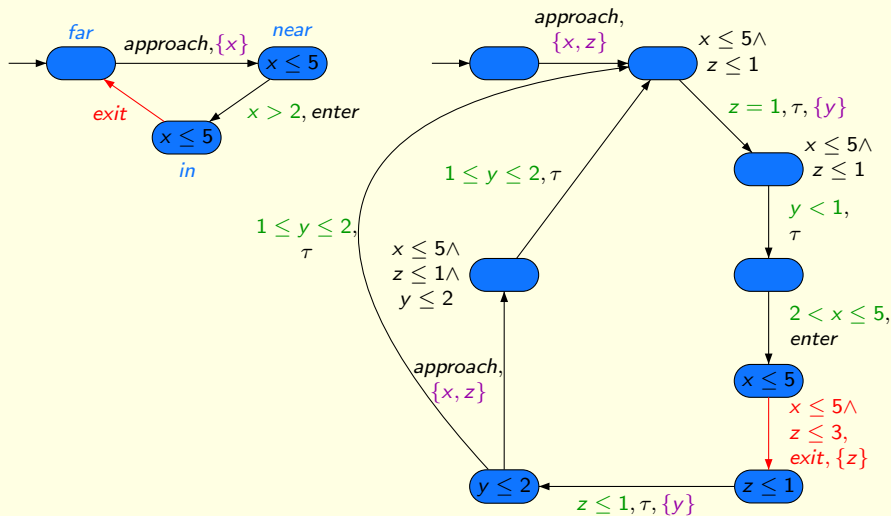
$$C \preceq C' \text{ and } D \preceq D' \Rightarrow C \parallel D \preceq C' \parallel D'$$

→ Contribution of timed  $\tau$ -simulation for incremental verification w.r.t. classic verification is immediate for safety properties.

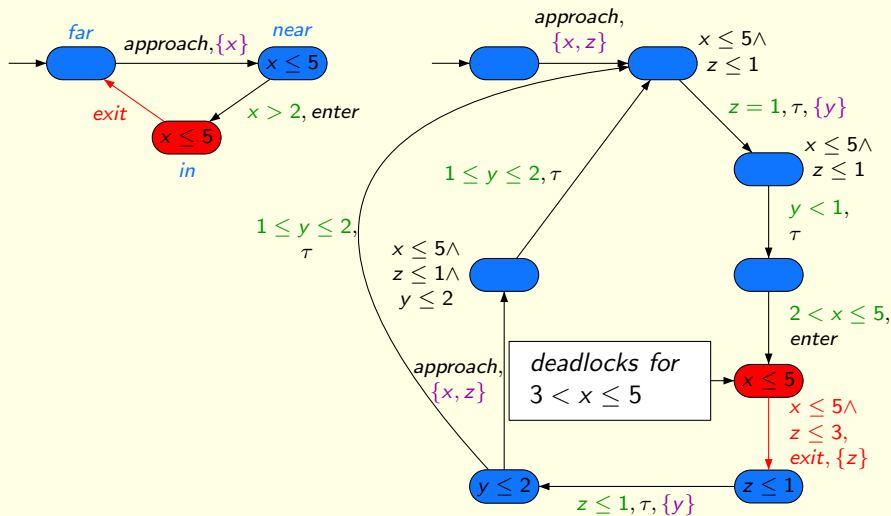
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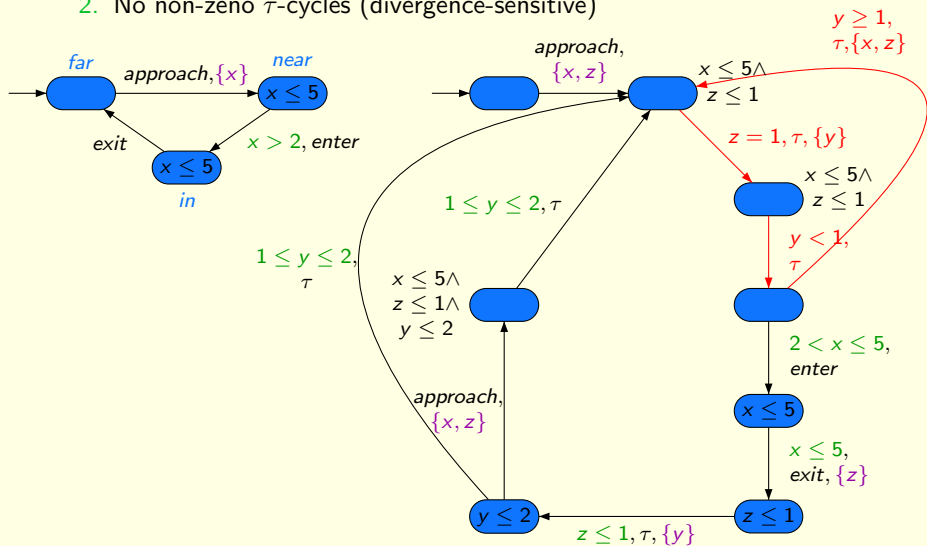


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- To preserve liveness properties, two more requirements

1. No new deadlocks (stability-respecting)
2. No non-zero  $\tau$ -cycles (divergence-sensitive)



- The timed  $\tau$ -simulation with these two requirements is called a **Divergence-sensitive and Stability-respecting (DS) timed  $\tau$ -simulation**, written  $C \parallel E \preceq_{ds} C$ .

### Theorem (Preservation of MITL properties)

Let  $\varphi$  be a MITL property.  $C$  and  $E$  are timed automata.

If  $C \models \varphi$  and  $C \parallel E \preceq_{ds} C$  then  $C \parallel E \models \varphi$ .

- Composability and compatibility w.r.t.  $\parallel$  are not ensured for free.
  - Check algorithmically the DS timed  $\tau$ -simulation
  - Compare with classic verification



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- ▶ **Production Cell**
- ▶ **CSMA/CD Protocol**

- Verification of Simulations for Timed Automata,
- Checks the DS timed  $\tau$ -simulation in the framework of integration of components, i.e., it checks

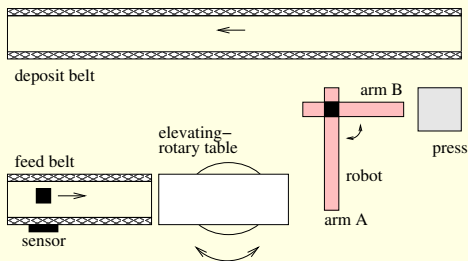
$$C || E \preceq_{ds} C$$

- VeSTA is available at

<http://lifc.univ-fcomte.fr/~oudot/VeSTA>

# Presentation of the Production Cell Case Study

- Modeling: at least seven components (six devices + one or several pieces)



- Local properties to check
  - 7 local properties for the robot ( $P_1$  to  $P_7$ ), in particular 2 liveness and 3 bounded liveness.
  - 1 liveness local property for robot || press ( $P_8$ ).

## Classic Method

Model-check all properties on the complete model

*feed belt || sensor || table || robot || press || deposit belt || piece 1*

## Our Method

1. Model-check properties  $P_1$  to  $P_7$  on the robot,
2. Model-check property  $P_8$  on robot || press,
3. Check preservation of  $P_1$  to  $P_7$  on robot || press, i.e.,

$$robot || press \preceq_{ds} robot,$$

4. Check preservation of  $P_8$  on the whole model, i.e.,

$$complete\ model \preceq_{ds} robot || press.$$

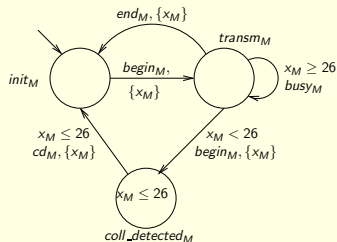
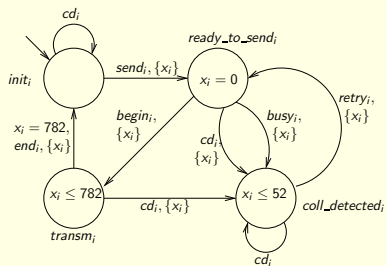
# Detailed Results

- Computation times (seconds)

Property	Type	Classic Method	Local Verification	Preservation Checking
$P_1$	Safety	0.01	< 0.001	0.05
$P_2$	Safety	0.01	< 0.001	
$P_3$	Liveness	0.98	< 0.001	
$P_4$	Liveness	15.79	0.04	
$P_5$	Bounded Response	0.68	< 0.001	
$P_6$	Bounded Response	0.48	< 0.001	
$P_7$	Bounded Response	0.7	< 0.001	
$P_8$	Liveness	0.93	0.02	
Total		19.58	0.06	0.51

# Presentation of the CSMA/CD Protocol Case study

- Carrier Sense, Multiple Access with Collision Detection protocol
- Modeling: at least three components (a medium + 2 or more senders)
- Parameterized system (parameter: number of senders)



- The main property ( $P$ ): *whatever the number of stations, if a collision occurs between two stations  $i$  and  $j$ ,  $i \neq j$ , both detect it within 26 t.u.*

## Classic Method

Model-check  $P$  on the complete model, with 2 senders, 3 senders, 4 senders...

## Our method

- Model-check  $P$  on a model with 2 senders.
- Check that preservation is ensured when adding other senders.

## Classic Method

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- $\leq 6$  senders: model-checking successful (from  $<0.001$  seconds to  $>57$  minutes),
- $\geq 7$  senders: verification can not be run to completion (waiting for ten hours).

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## Our method

- Model-check  $P$  on a model with 2 senders.
  - Check that preservation is ensured when adding other senders.
- Verification with 2 senders:  $<0.001$  seconds
- Preservation ensured thanks to simple arguments guaranteeing that DS timed  $\tau$ -simulation holds.

- Preservation of safety / liveness MITL properties during integration of components with (DS) timed  $\tau$ -simulation relations.
- Comparison with classic verification:
  - ▶ for safety properties, preservation is ensured for free
  - ▶ for liveness properties, first experiments results (verification time) seem encouraging.

- Study the contribution of timed  $\tau$ -simulations for parametrized systems, e.g., networks of automata (as CSMA/CD protocol),
- Study other composition operators, which would guarantee deadlock and  $\tau$ -livelock-freedom during integration of components (J. Sifakis)
- How to guide a decomposition into components to obtain their compatibility with the (DS) timed  $\tau$ -simulation,
- How to reuse a component so that its integration in an application is compatible with the DS timed  $\tau$ -simulation.

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- Questions ?

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