Name: ____

COP 4020 — Programming Languages 1 Test on Declarative Concurrency

Special Directions for this Test

This test has 9 questions and pages numbered 1 through 9.

This test is open book and notes.

If you need more space, use the back of a page. Note when you do that on the front.

Before you begin, please take a moment to look over the entire test so that you can budget your time.

Clarity is important; if your programs are sloppy and hard to read, you may lose some points. Correct syntax also makes a difference for programming questions.

When you write Oz code on this test, you may use anything in the declarative concurrent model (as in chapters 2–4 of our textbook). So you must not use not use cells or the library functions IsDet and IsFree. But please use all linguistic abstractions and syntactic sugars that are helpful.

You are encouraged to define functions or procedures not specifically asked for if they are useful to your programming; however, if they are not in the Oz base environment, then you must write them into your test. (This means you can use functions in the Oz base environment such as Map, FoldR, Filter, Append, IntToFloat, List.take, List.drop, etc.)

Recall that the grammar for the type of infinite streams with elements of type T is as follows.

 $\langle IStream T \rangle ::= T$ '|' $\langle IStream T \rangle$

Also recall that in Oz, strings are just lists of characters and that characters are just (small) integers.

For Grading

Question:	1	2	3	4	5	6	7	8	9	Total
Points:	10	12	5	15	10	15	15	3	15	100
Score:										

- 1. (10 points) [Concepts] The Oz demand-driven concurrent model uses lazy execution. Which of the following is a true statement about lazy execution? (Circle the letter of the correct answer.)
 - A. In the demand-driven concurrent model, threads are only killed when they need to be killed.
 - B. When a call to a lazy function is made, the system immediately starts computing the answer to that call in a new thread.
 - C. When the answer to a call to a lazy function is needed, a new thread is started to compute the answer.
 - D. Lazy functions are executed so quickly that they cannot have race conditions.
- 2. [Concepts]

This question involves expressions executed in an environment where the following declaration and binding for the function By2 have been made.

declare

fun lazy {By2 N} N | {By2 N+2} end

For each part, circle the correct answer's letter.

- (a) (3 points) Suppose we execute the expression {By2 1}, what happens?
 - A. The expression loops forever, since there is no base case to stop the execution of By2, and since the call generates a need for the result.
 - B. The expression partially terminates, because it does not generate a need for the result of the call to By2.
 - C. The expression fails or encounters an error.
- (b) (3 points) If we execute the expression local Z in $Z = \{By2 \ 1\} Z$ end what happens?
 - A. The expression loops forever, because unifying the result of a call with an undetermined dataflow variable generates a need.
 - B. The expression partially terminates, because unifying the result of a call with an undetermined dataflow variable does not generate a need.
 - C. The expression fails or encounters an error.
- (c) (3 points) If we execute the expression local H1 Ans T Z in Z={By2 1} H1|Ans|T=Z Ans end what happens?
 - A. The expression loops forever (thus encountering an error), because unifying with a pattern generates a need, and when the By2 function starts running, it has no way to stop.
 - B. The expression partially terminates, returning 3, because the statement H1|Ans|T=4020 generates a need for the first two elements of the result, but the calls to By2 stop, since it is lazy.
 - C. The expression encounters an error due to some reason other than looping forever.
- (d) (3 points) If we execute the expression {Length {By2 1}} what happens?
 - A. The expression loops forever (or has an error when trying to do so), because the call to Length generates needs for each element in the result of {By2 1}.
 - B. The expression terminates normally, returning 42, because 42 is the answer to all questions.
 - C. The expression encounters an error due to some reason other than looping forever.

3. (5 points) [Concepts]

Why is declarative concurrency useful? (Circle the letter of the correct answer.)

- A. Because a program written in the declarative concurrent model can merge multiple independent user inputs, as might occur in a client-server application, such as eBay or amazon.com.
- B. Declarative concurrency is useful because it helps programs take longer to compute their outputs, thus prompting users to buy faster computers.
- C. Declarative concurrency is useful because it can't be used in a large program, which limits the design choices available to programmers, thus simplifying programming tasks.
- D. Declarative concurrency is useful because it makes reasoning and debugging difficult, due to the use of multiple threads, which provides work for computer scientists.
- E. Declarative concurrency is useful because it simplifies reasoning about and debugging programs, since each part of a program may have only one possible answer.

4. This question is about programming in the declarative concurrent model.

(a) (10 points) [UseModels] Using the declarative concurrent model, write an incremental lazy function,

LSelect : <fun lazy {\$ <IStream T> <fun {\$ T}: Bool>}: <IStream T>>

that takes an infinite stream (i.e., an <IStream>), IStrm, with elements of some type T, and a predicate Pred, that takes an element of type T and returns a Boolean. A call such as {LSelect IStrm Pred} lazily returns an infinite stream that contains each element E of IStrm for which {Pred E} is true, and no other elements. (The ordering of elements in the answer preserves the ordering seen in the input stream IStrm.) Be sure that your LSelect function does not loop forever when its input is infinite.

The following are examples, using the Test procedure from the homework.

(b) (5 points) Is the function LSelect defined by your answer incremental? (Say "yes, it is incremental" or "no, it's not incremental.") Briefly explain.

5. (10 points) [UseModels] Write a lazy function

RepeatingListOf : <fun lazy {\$ <List T>}: <IStream T> >

that, for some type T takes a non-empty finite list Elements of elements of type T, and lazily returns an infinite stream (i.e., an <IStream T>) whose elements repeat the individual elements of Elements endlessly. The following are examples, written using the Test method from the homework.

\insert 'RepeatingListOf.oz'
\insert 'TestingNoStop.oz'
{Test {Nth {RepeatingListOf [1]} 1} '==' 1}
{Test {Nth {RepeatingListOf [7]} 500} '==' 7}
{Test {Nth {RepeatingListOf [2]} 999999} '==' 2}
{Test {List.take {RepeatingListOf [2 3 4]} 7} '==' [2 3 4 2 3 4 2]}
{Test {List.take {RepeatingListOf [a b c d e]} 11} '==' [a b c d e a b c d e a]}
{Test {List.take {RepeatingListOf "homework!"} 11} '==' "homework!ho"}

6. (15 points) [UseModels]

Write a lazy function

BlockIStream: <fun lazy {\$ <IStream <Char>> <Int>}: <IStream <List <Char> > >

that takes an infinite stream of characters, IStrm, and an integer, BlockSize, and which lazily returns an infinite stream of lists of characters, where each list in the result has exactly BlockSize elements, consisting of the first BlockSize elements of IStrm, followed by a list containing the next BlockSize elements of IStrm, and so on. That is, a call to BlockIStream chunks the characters in IStrm into strings of length BlockSize. (Hint: in your solution, you may want to use List.take and List.drop. Note that {List.drop L N} returns the list L without the first N elements.)

```
\insert 'BlockIStream.oz'
\insert 'RepeatingListOf.oz' % from problem above, used here to make the tests
\insert 'TestingNoStop.oz'
declare
fun lazy {From Char} Char|{From Char+1} end % for testing only
{Test {List.take {BlockIStream {From &a} 3} % &a is the character a
      8}
 '==' ["abc" "def" "ghi" "jkl" "mno" "pqr" "stu" "vwx"]}
{Test {List.take {BlockIStream {RepeatingListOf "Now is the time for..."} 1}
       12
 '==' ["N" "o" "w" " " "i" "s" " " "t" "h" "e" " " "t"]}
{Test {List.take {BlockIStream {RepeatingListOf "Now is the time for..."} 3}
      4}
 '==' ["Now" " is" " th" "e t"]}
{Test {List.take {BlockIStream {RepeatingListOf "Now is the time for..."} 3}
      9}
 '==' ["Now" " is" " th" "e t" "ime" " fo" "r.." ".No" "w i"]}
{Test {List.take {BlockIStream {RepeatingListOf "Now is the time for..."} 6}
      7}
 '==' ["Now is" " the t" "ime fo" "r...No" "w is t" "he tim" "e for."]}
```

7. (15 points) [UseModels]

Write a lazy function

```
EncryptIStream: <fun lazy {$ <IStream <Char>> <Int> <fun {$ <List <Char> >}: <List <Char> >}
: <IStream <List <Char> > >
```

that takes 3 arguments: an infinite stream of characters, IStrm, an integer, BlockSize, and a function, Encrypt. The EncryptIStream function lazily returns an infinite stream of lists of characters, where each list in the result is the result of applying Encrypt to a list containing BlockSize elements of IStrm. The first list in the result is the result of applying Encrypt to the first BlockSize elements of IStrm, and this is followed by the result of applying Encrypt to the next BlockSize elements of IStrm, and so on. That is, a call to BlockIStream first chunks the characters in IStrm into strings of length BlockSize, and then applies Encrypt to each resulting list of strings. The following are some examples, written using various (cryptographically poor) Encrypt functions.

```
\insert 'EncryptIStream.oz'
\insert 'RepeatingListOf.oz' % from problem above, used here to make the tests
\insert 'TestingNoStop.oz'
declare
fun {NoEncryption Str} Str end
fun {ReverseNoEncryption Str} {Reverse {NoEncryption Str}} end
fun {CeaserCypher Str} {Map Str fun {$ C}(C+1) mod 512 end} end
fun {ReverseCeaserCypher Str} {Reverse {CeaserCypher Str}} end
{Test {List.take {EncryptIStream {RepeatingListOf "Now is the time for..."} 12 NoEncryption}
       3}
 '==' ["Now is the t" "ime for...No" "w is the tim" ]}
{Test {List.take {EncryptIStream {RepeatingListOf "We're off to see the Wizard, the Wonderful Wizard of Oz"}
                  3 ReverseNoEncryption}
      18}
 '==' ["'eW" " er" "ffo" "ot " "es " "t e" " eh" "ziW" "dra" "t ," " eh"
       "noW" "red" "luf" "iW " "raz" "o d" "O f"]}
{Test {List.take {EncryptIStream {RepeatingListOf "Now is the time for..."} 5 CeaserCypher}
       7}
 '==' ["Opx!j" "t!uif" "!ujnf" "!gps/" "//Opx" "!jt!u" "if!uj"]}
{Test {List.take {EncryptIStream {RepeatingListOf "Now is the time for..."} 5 ReverseCeaserCypher}
      7}
 '==' ["j!xp0" "fiu!t" "fnju!" "/spg!" "xp0//" "u!tj!" "ju!fi"]}
```

Please write your answer below.

\insert 'BlockIStream.oz' % So you can use BlockIStream in your answer.

8. (3 points) [Concepts] Does your function EncryptIstream in question 7 have to be lazy? Answer "yes" or "no" and give a brief explanation.

9. (15 points) [UseModels] Consider the following grammar for binary trees of atoms:

 $\langle BTree \rangle ::= \langle Atom \rangle | tree(\langle BTree \rangle \langle BTree \rangle)$

where $\langle Atom \rangle$ is an Oz atom (or symbol), such as leaf, a, or b.

Using Oz's demand-driven concurrent model, write a lazy function

BTGenerate: <fun lazy {\$ <BTree> <BTree> } : <IStream <BTree> >>

that takes three $\langle BTree \rangle s$, and lazily returns an infinite stream of $\langle BTree \rangle s$, as described below. (This might be useful for testing functions over such trees.) The returned infinite stream contains the three arguments as its first three elements, and then contains a tree containing the original second and third argument (as left and right subtrees), then a tree containing the original third argument and the fourth element of the output list, and so on. (In general, the first three elements of the result are the original first three arguments, and for i > 3, the i^{th} element of the result is a record of the form tree(X Y), where X is the $(i-2)^{th}$ element of the result and Y is the $(i-1)^{th}$ element of the result.) Hint: you can use the three arguments as accumulators; they can keep track of the information your function will need. The following are examples that use the Test procedure from the homework.

```
\insert 'BTGenerate.oz'
\insert 'TestingNoStop.oz'
{Test {List.take {BTGenerate leaf tree(a leaf) tree(leaf b)} 6}
 '==' [leaf tree(a leaf) tree(leaf b)
      tree(tree(a leaf) tree(leaf b))
      tree(tree(leaf b) tree(tree(a leaf) tree(leaf b)))
      tree(tree(a leaf) tree(leaf b))
           tree(tree(leaf b) tree(tree(a leaf) tree(leaf b))))]}
{Test {List.take {BTGenerate leaf tree(two tree(leaf leaf))
                           tree(leaf three)} 6}
 '==' [leaf tree(two tree(leaf leaf)) tree(leaf three)
      tree(tree(two tree(leaf leaf)) tree(leaf three))
      tree(tree(leaf three) tree(tree(two tree(leaf leaf)) tree(leaf three)))
      tree(tree(tree(two tree(leaf leaf)) tree(leaf three))
           tree(tree(leaf three)
                tree(tree(two tree(leaf leaf)) tree(leaf three))))]}
{Test {List.take {BTGenerate tree(a b) tree(tree(c leaf) d) leaf} 7}
 '==' [tree(a b) tree(tree(c leaf) d) leaf
      tree(tree(c leaf) d) leaf)
      tree(leaf tree(tree(c leaf) d) leaf))
      tree(tree(tree(c leaf) d) leaf)
           tree(leaf tree(tree(c leaf) d) leaf)))
      tree(tree(leaf tree(tree(c leaf) d) leaf))
           tree(tree(tree(c leaf) d) leaf)
                tree(leaf tree(tree(c leaf) d) leaf))))]}
```